

The LHC Experiments

TASI 2006 - Lecture 2
John Conway

Outline

- A. Interactions of Particles With Matter
- B. Tracking Detectors
- c. Calorimetry
- D. CMS and ATLAS Design
- E. The Mystery of Triggering
- F. Physics Object Resonstruction

Interactions of Particles and Matter

- understanding the LHC detectors requires a basic understanding of the interaction of high energy particles and matter
- we will cover here:
 - photons/electrons in nuclear materials (em cal.)
 - bremsstrahlung
 - minimum ionization (charged tracks)
 - multiple scattering
 - secondary hadron production/nuclear interaction

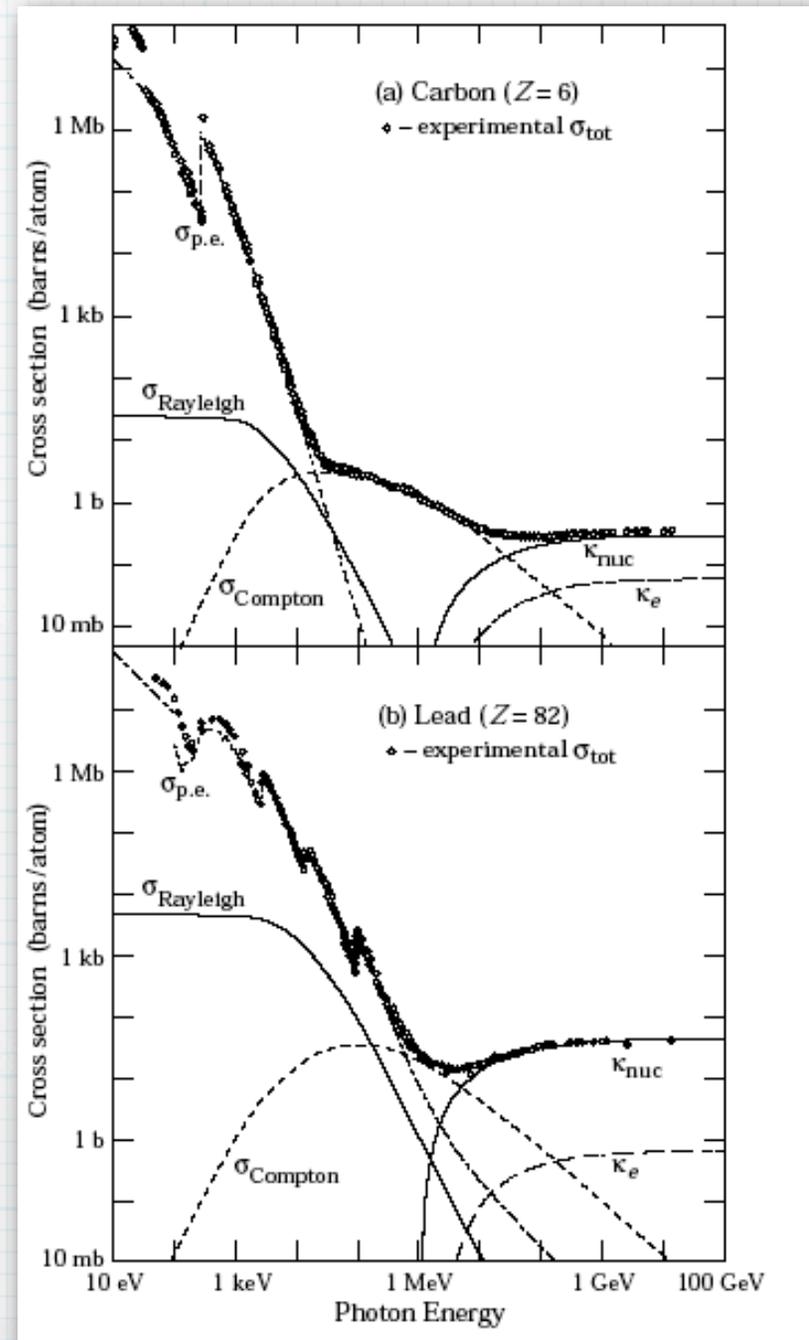
see <http://pdg.lbl.gov/2005/reviews/passagerpp.pdf>

Electromagnetic Interactions

Photons in matter:

- low energies (< 100 keV): photoelectric effect
- medium energy (~ 1 MeV): Compton scattering
- high energy (> 10 MeV): e^+e^- pair production

Each of these leads to electrons being ejected from atoms...e.m. showers



Photons and Matter

- we are mainly interested in very high energy photons, $E_\gamma > 1 \text{ GeV}$ where pair production dominates
- a beam of such high energy photons has an intensity which drops exponentially with depth:

$$I(x) = I_0 e^{-\mu x}$$

- μ is the linear absorption coefficient; probability of radiation per unit distance traversed:

$$\mu = \frac{\sigma N_0 \rho}{A} \equiv \frac{7}{9X_0}$$

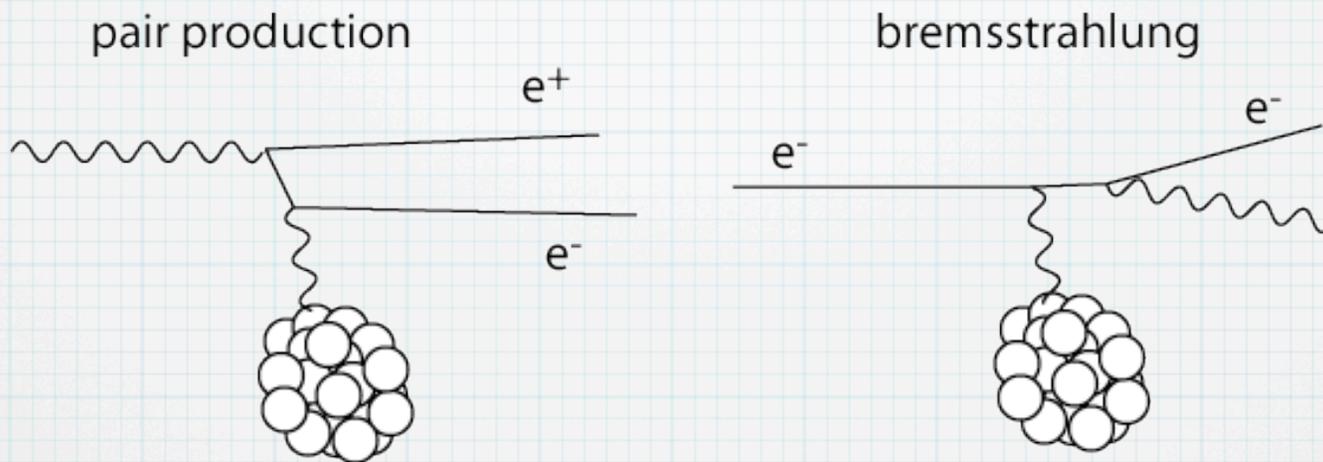
radiation length



- but then we have high energy electrons...process repeats

Electrons and Matter

- a high-energy electron encountering the strong field of a nucleus undergoes bremsstrahlung:



- clearly we need the field of the nucleus to conserve momentum and energy
- processes are very similar, except for $7/9$!

Radiation Length

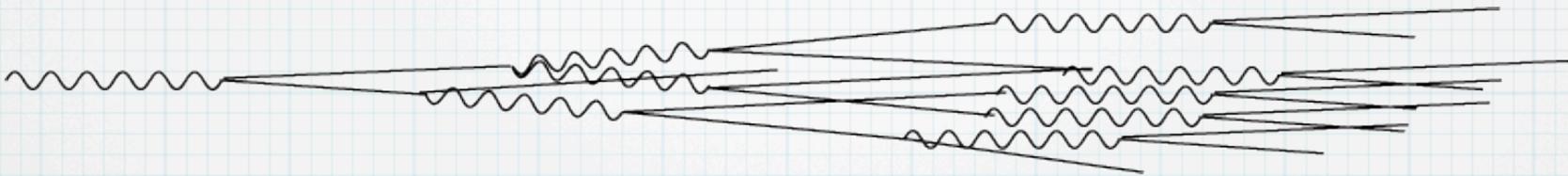
$$1/X_0 = \frac{4\alpha N_A Z(Z+1)r_e^2 \log(183Z^{-1/3})}{A}$$

- higher Z materials have shorter radiation length
- want high-Z material for e.m. calorimeter
- want as little material as possible in front of the calorimeter!
- lead: $\rho = 11.4 \text{ g/cm}^3$
 $\Rightarrow X_0 = 5.5 \text{ mm}$

material	X_0 g/cm ²
H ₂	63
Al	24
Fe	13.8
Pb	6.3

Electromagnetic Showers

- process of bremsstrahlung/pair production repeats itself until initial energy used up:



- electrons: linear absorption coefficient $\mu = 1/X_0$
- photons: linear absorption coefficient $\mu = 7/9X_0$
- to get a signal out, we ultimately rely on the ionization energy loss of electrons in some material
- Moliere radius: width of shower (~ 12 mm for Pb)

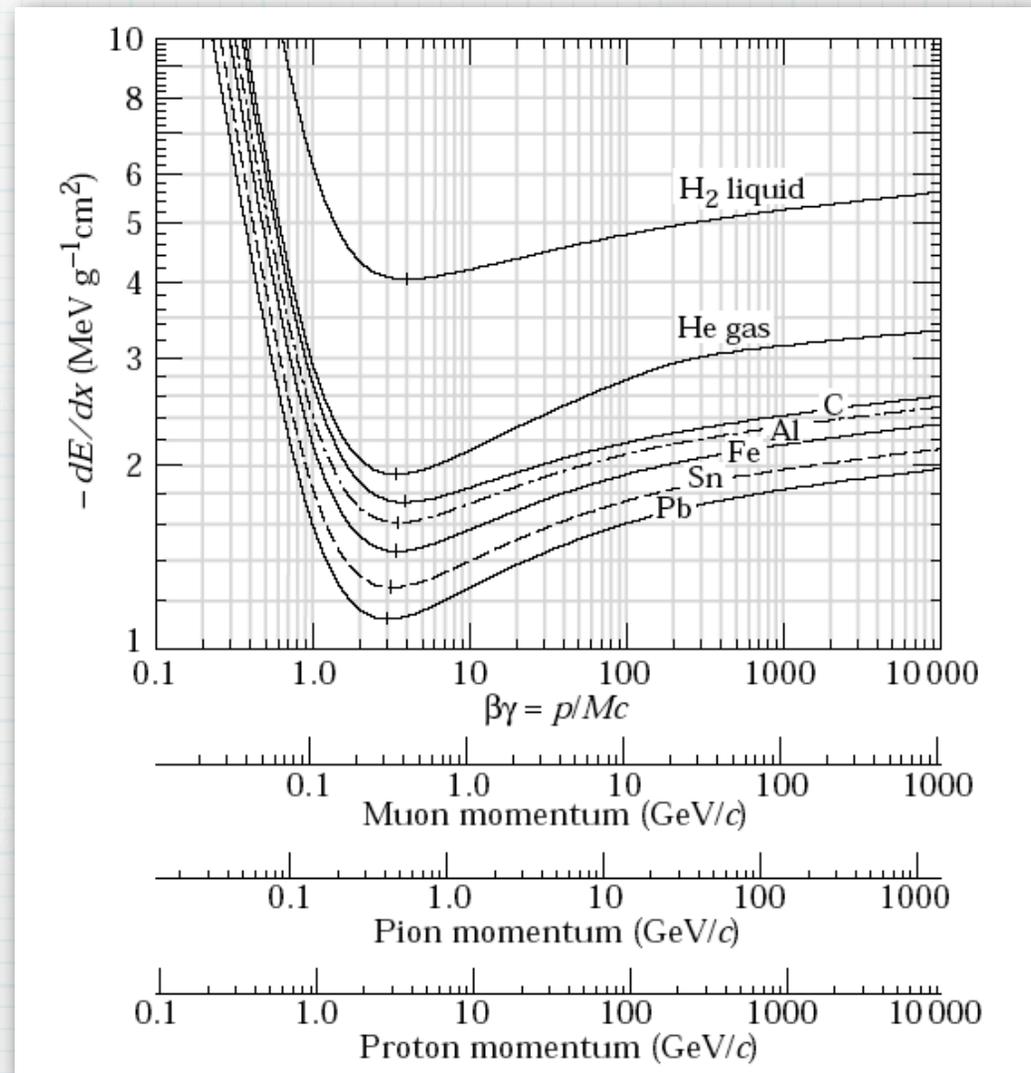
Hadronic Showers

- interactions of pions/kaons in material:
nuclear interaction length
- lead \sim steel = 17 cm
- about 5% different for π^+ and π^-
- for heavy (high Z) materials we see that the nuclear interaction length is a lot longer than the electromagnetic one
- showers start late, more diffuse
- and don't forget charge exchange!

material	X_0 (g/cm ²)	λ_n (g/cm ²)
H ₂	63	52.4
Al	24	106
Fe	13.8	132
Pb	6.3	193

Bethe-Bloch and MIPs

- high energy charged particles lose energy by ionization of atoms
- specific ionization (dE/dx) depends on material density
- express in terms of $\text{MeV}/(\text{g}/\text{cm}^2)$
- $1/\beta^2$, rel. rise.
- minimum at $\beta\gamma \sim 3$



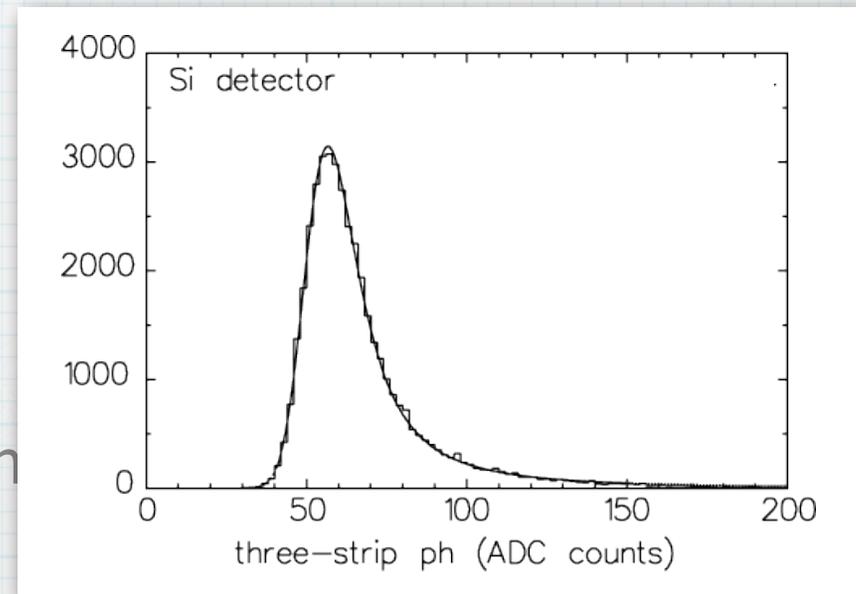
Bethe-Bloch and MIPs

$$-\frac{dE}{dx} = K z^2 \frac{Z}{A} \frac{1}{\beta^2} \left[\frac{1}{2} \ln \frac{2m_e c^2 \beta^2 \gamma^2 T_{max}}{I^2} - \beta^2 - \frac{\delta}{2} \right]$$

- Bethe-Bloch formula describes average energy loss
- example: MIP in silicon

$$\begin{aligned} dE/dx: & 1.6 \text{ MeV}/(\text{g}/\text{cm}^2) \times 2.33 \text{ g}/\text{cm}^3 \\ & = 3.7 \text{ MeV}/\text{cm} \quad (\text{not much!}) \end{aligned}$$

- amount of ionization fluctuates according to "Landau" distribution (actually Vavilov)



Multiple Scattering

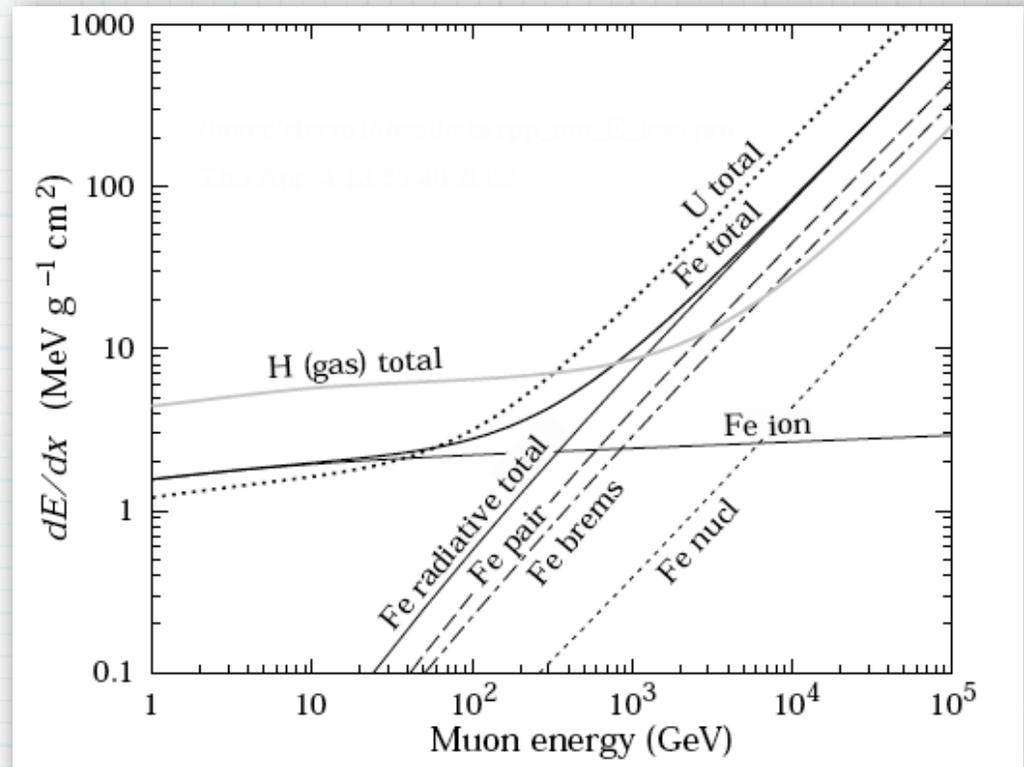
- as they ionize materials, high energy charged particles change their direction with each interaction
- distribution dominated by gaussian of width θ_0
- high angle scattering tail to distribution
- important for relatively low-energy particles (\sim few GeV): rms angle given by

$$\theta_0 = \frac{13.6\text{MeV}}{\beta c p} z \sqrt{x/X_0} [1 + 0.038 \ln(x/X_0)]$$

- for a 1 GeV pion traversing 1 X_0 , $\theta_0 \sim 14$ mrad
- for a 10 GeV pion traversing 1 X_0 , $\theta_0 \sim 1.4$ mrad

Muon Bremsstrahlung

- muons are much heavier than electrons, but at high energies radiative losses begin to dominate:
- in other words, at high energies muons can sometimes behave more like electrons!
- effective radiation length decreases at high energy and so (late) e.m. showers can develop in the detector
- pions, too, but that's less of a problem...

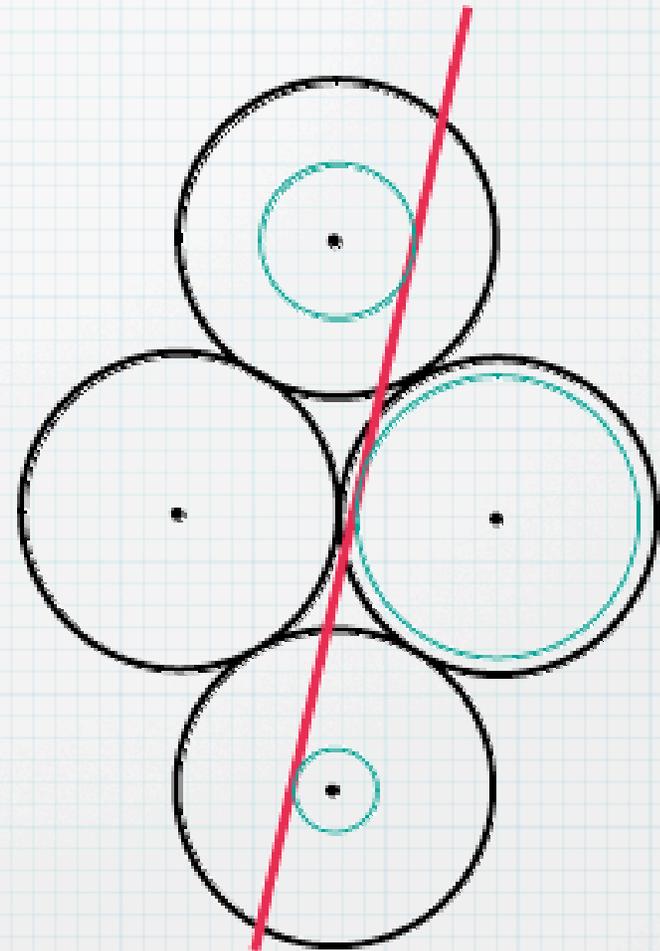


Tracking Detectors

- For tracking detectors we want as little material as possible to minimize multiple scattering; two approaches:
 - gas/wire chambers (like CDF's COT)
 - solid-state detectors (silicon)
- Silicon is now the dominant sensor material in use for tracking detectors at the LHC and we will focus on that
- however, first a word about drift chambers...

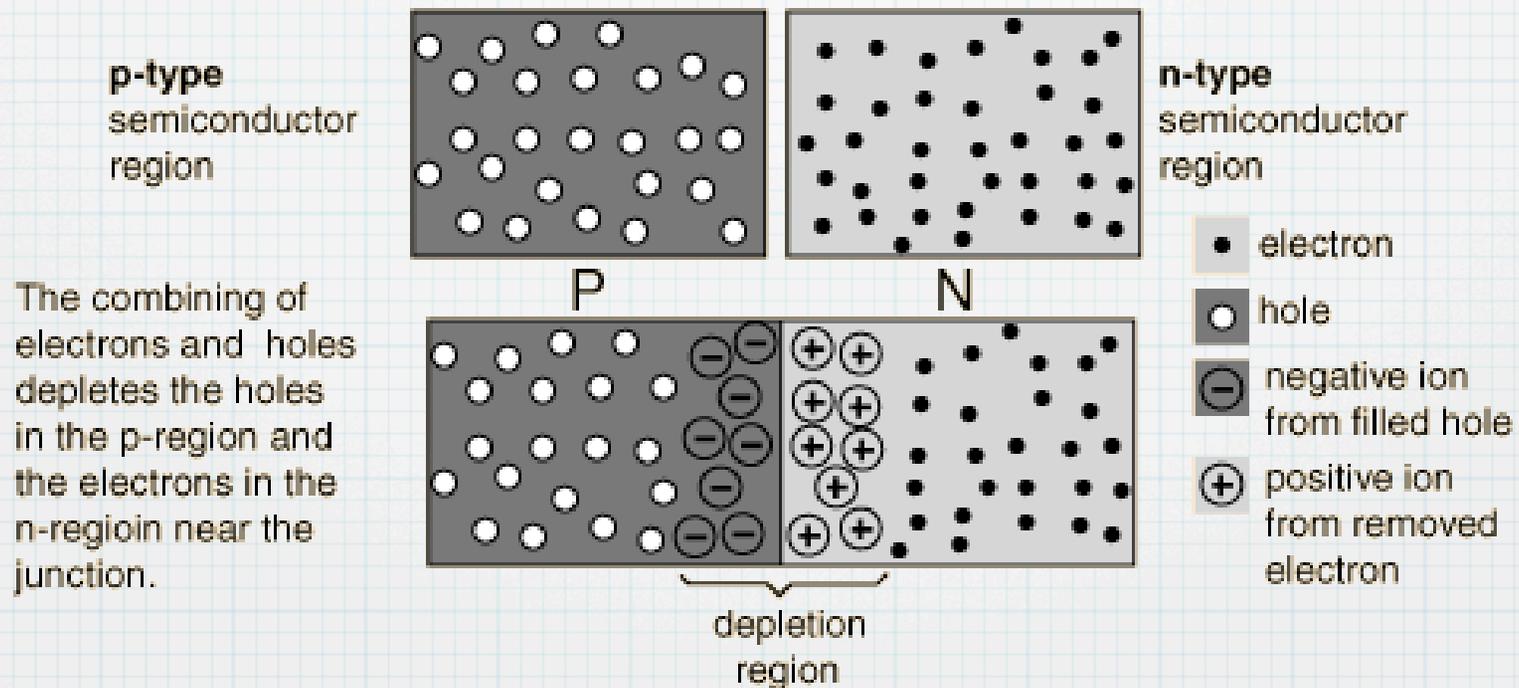
Drift Cells

- tubes with wire at +HV draw ionization electrons; avalanche near wire
- stack up the tubes, measure time of arrival of the ionization pulse
- drift: $\sim 5 \text{ cm}/\mu\text{s}$ ($50 \text{ }\mu\text{m}/\text{ns}$)
- find track from tangents to circles
- can get about $150 \text{ }\mu\text{m}$ position resolution
- but: a lot of material!



Silicon Detectors

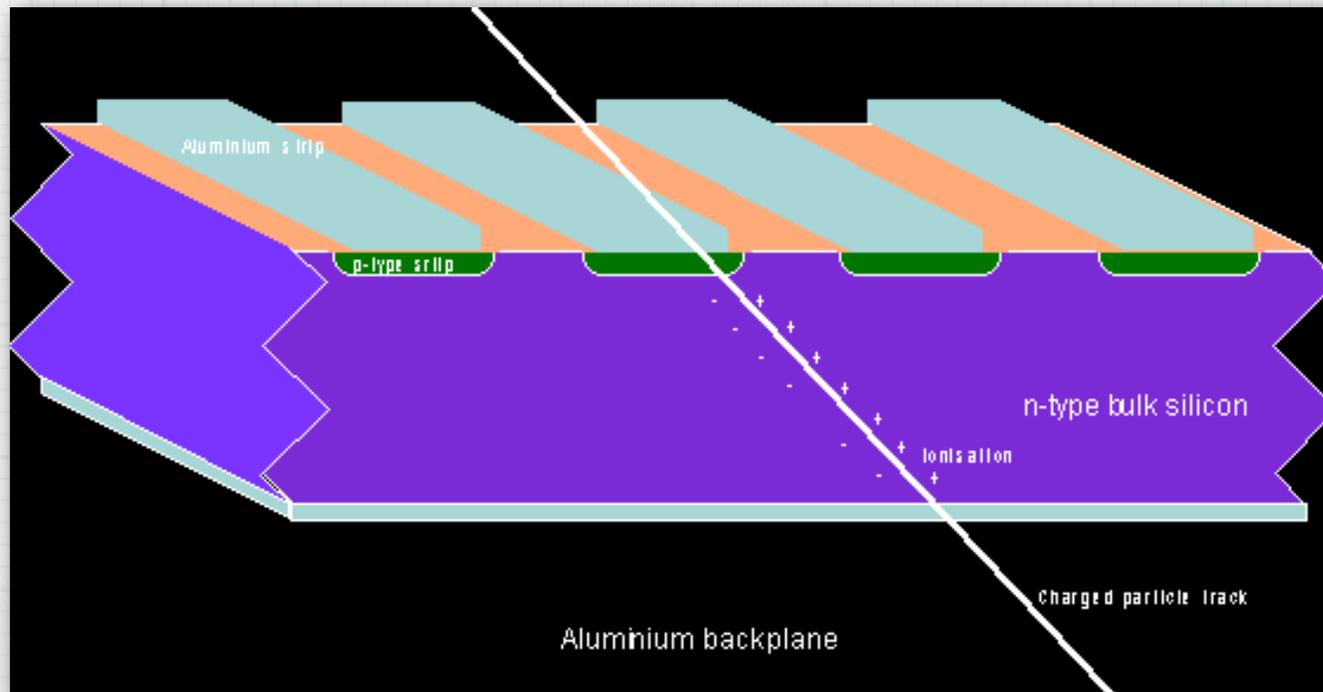
- in doped silicon can create “p-n” junction
- free carriers diffuse across junction, electrons neutralizing the holes:



- applying +V to N side (-V to P side) depletes more

Silicon Detectors

- applying very large reverse-bias voltage to p-n junction “fully depletes” the silicon, leaving E field
- for 300 μm thickness, typically $V_b \sim 100\text{ V}$
- geometry of typical silicon detector:



Silicon Detectors

- pixel detector: deposited charge sensed by small pixels on one side of sensor

many channels, expensive

more material

easy pattern recognition

- strip detector: deposited charge sensed by long narrow strips

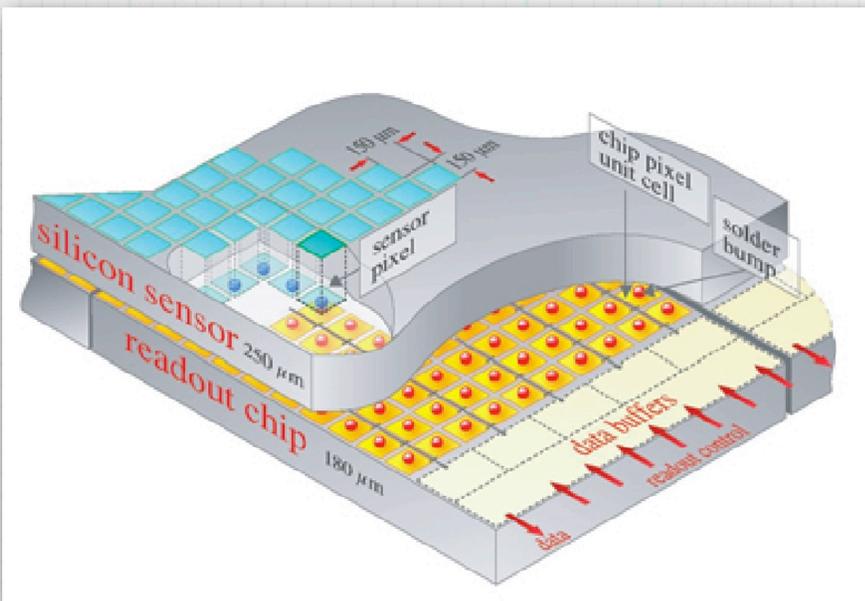
fewer channels, less expensive

less material

pattern recognition difficult!

Silicon Detectors

- charge sharing used to determine where charged particle passed through detector
- can get resolution much smaller than strip or pixel size, on the order of 10-20 μm



Tracking/ p_T Resolution



- we get the p_T of a track from the sagitta of the track helix
- sagitta depends on tracking length ℓ , p_T , and magnetic field B :

$$s = R - R \cos \frac{\theta}{2}$$
$$\approx R\theta^2/4 = \frac{B\ell^2}{13.3p_T}$$

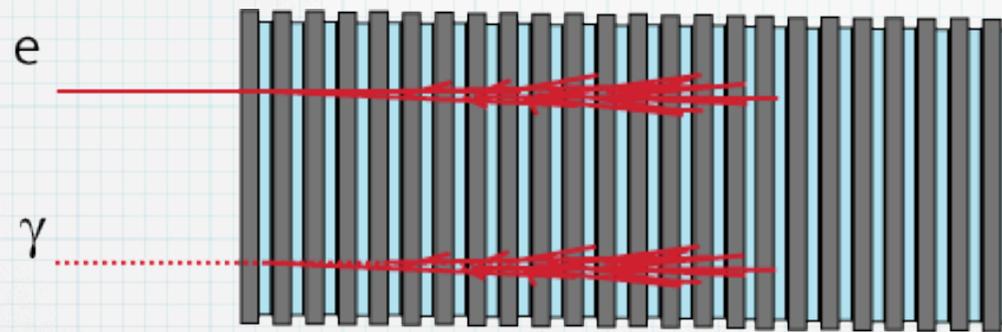
- for $B = 4 \text{ T}$, $\ell = 1 \text{ m}$, $p_T = 100 \text{ GeV}$ we get $s = 3 \text{ mm}$
- error is on $1/p_T$ so gets worse at high p_T !

Calorimetry

- want heavy material to cause brem/pair production for initial electromagnetic section, and fine sampling
- for hadron calorimetry, larger towers and coarser sampling in depth
- two technologies for em calorimeters:
 - exotic crystals (CsI, PbWO, BGO, ...)
 - liquid argon
- can achieve remarkable precision
- relative energy uncertainty decreases with E !

Typical E.M Calorimeters

- “lead-scintillator sandwich” calorimeter



$$\Delta E/E \sim 20\%/\sqrt{E}$$

- exotic crystals (BGO, PbWO_3 , ...)



$$\Delta E/E \sim 1\%/\sqrt{E}$$

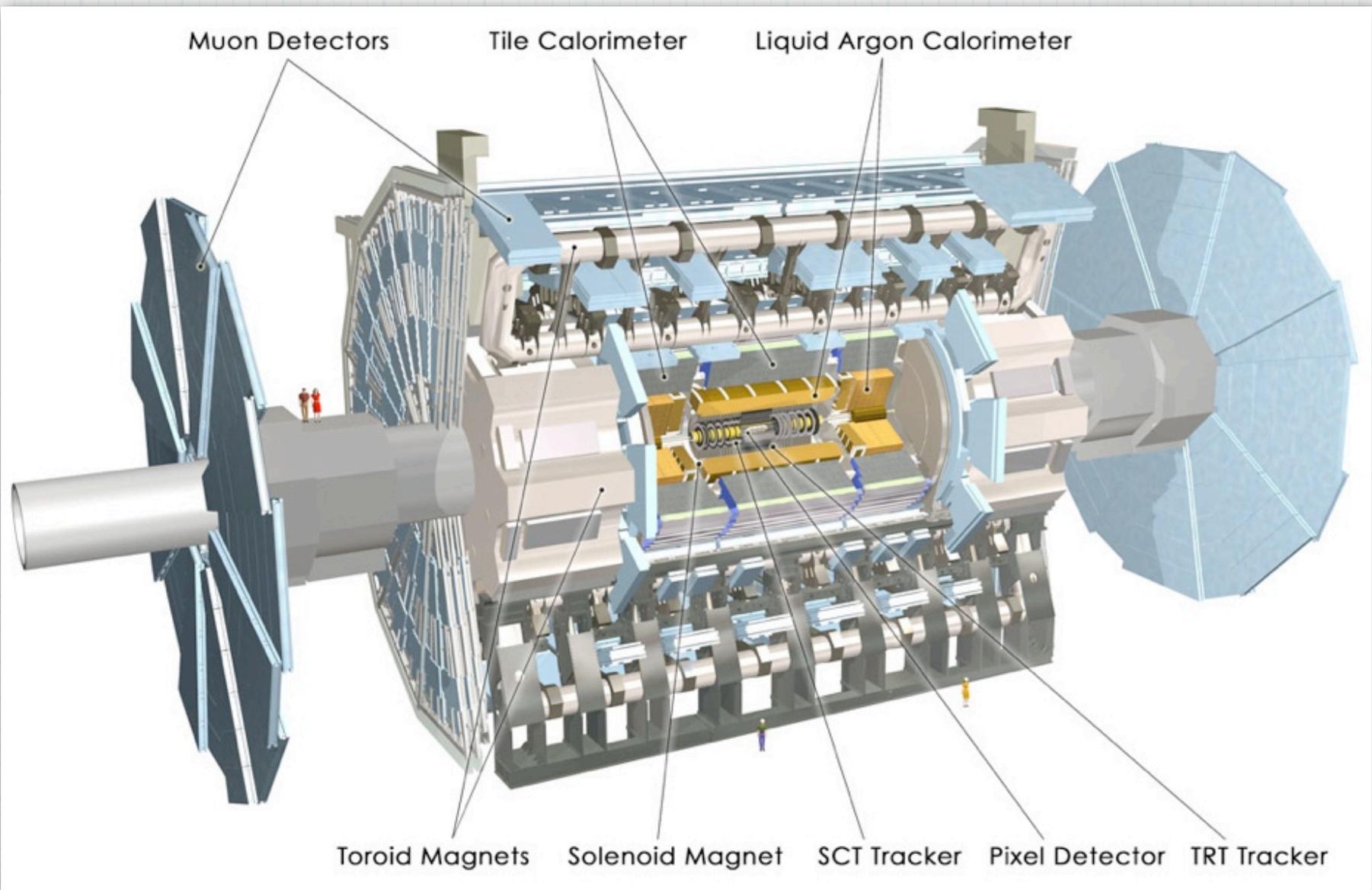
- liquid argon calorimeter

CMS and ATLAS

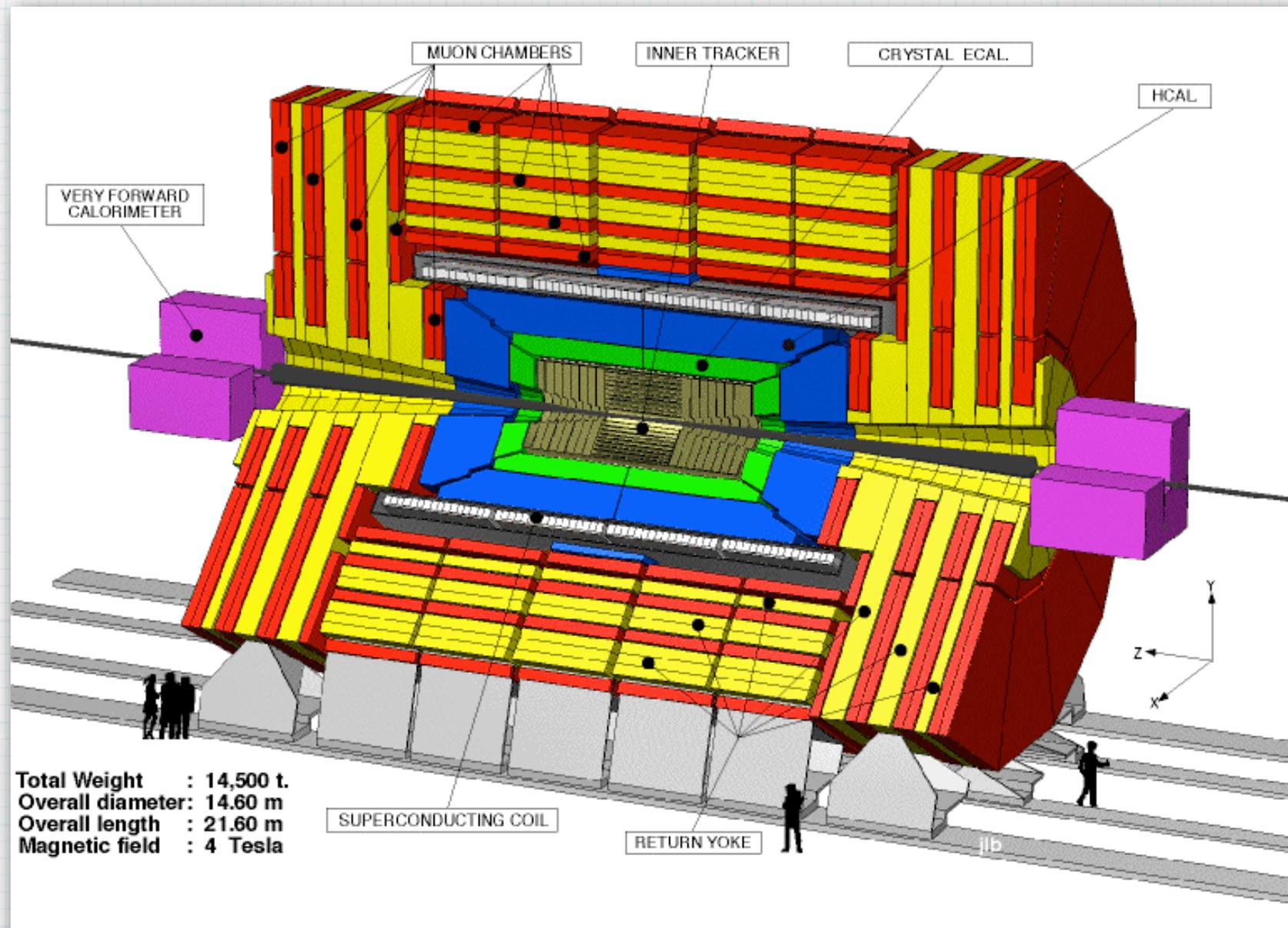
- two different approaches to the LHC problem!
- CMS sinks, ATLAS floats!
- both need to employ detectors with very fast signals and readout
- both need to be very radiation hard

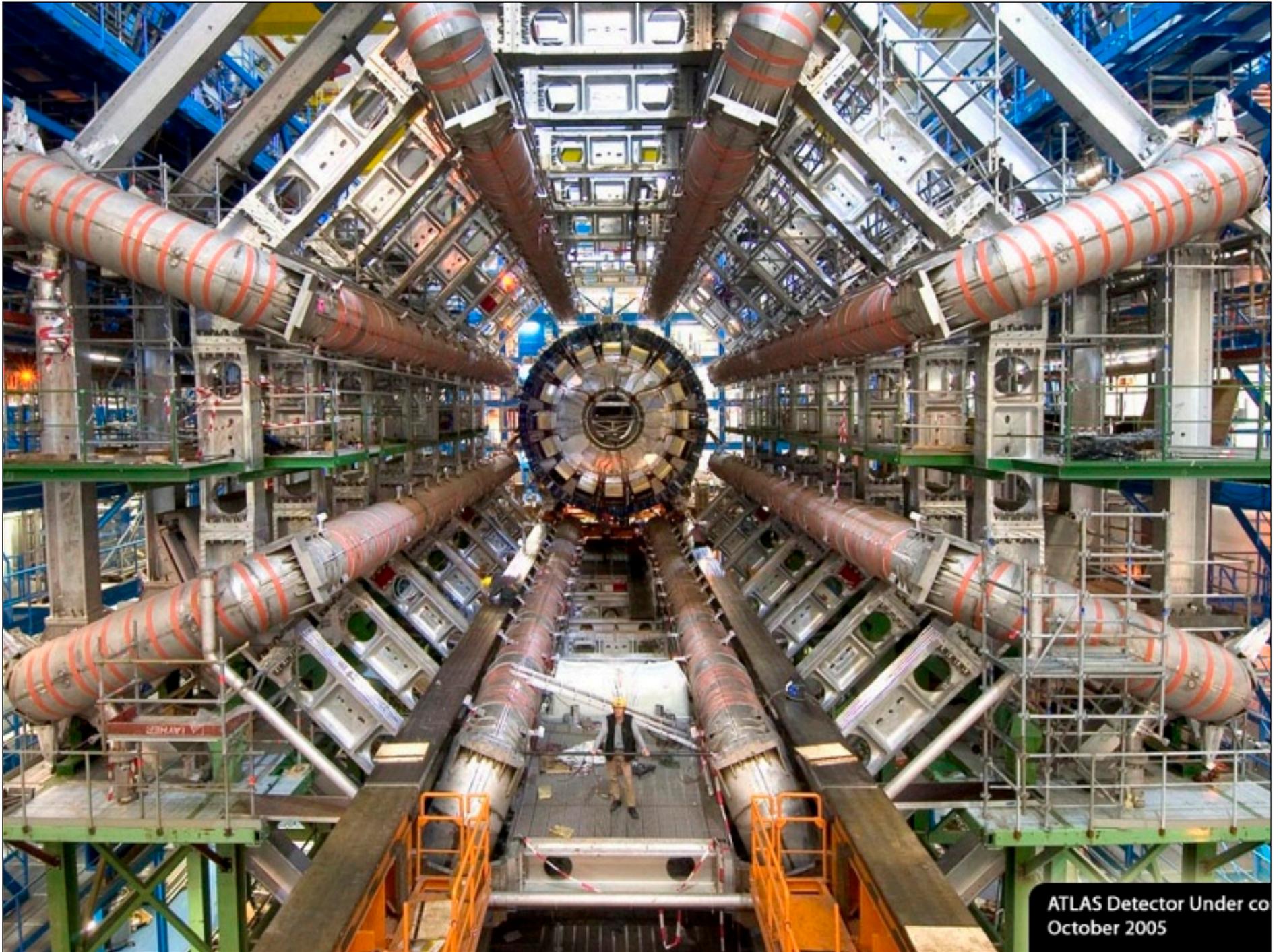
	ATLAS	CMS
tracking	silicon/gas	silicon
em cal	liquid Ar	PbWO
had cal	steel/scint.	brass/scint.
muon	RPCs/drift	RPCs/drift

ATLAS



CMS

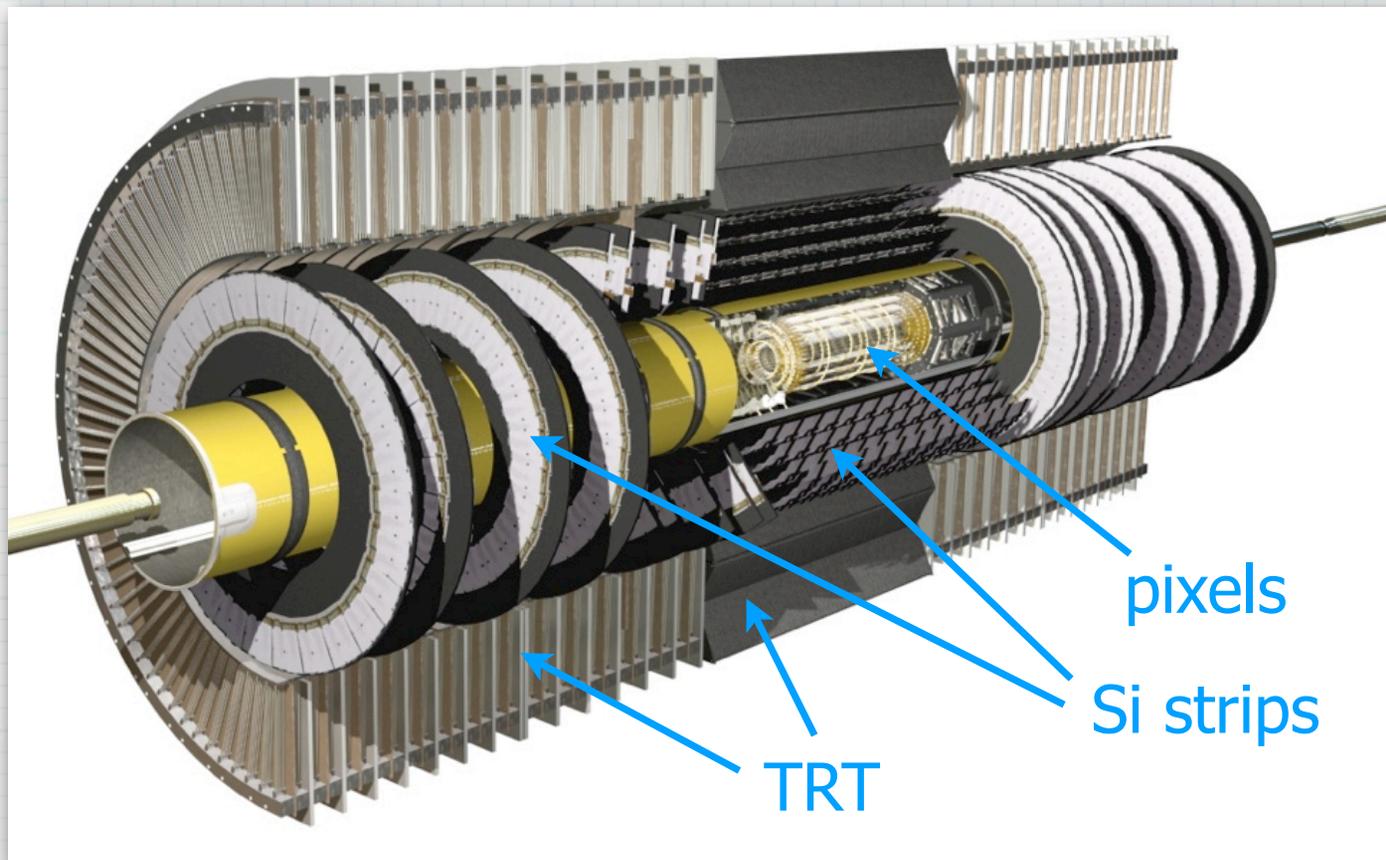




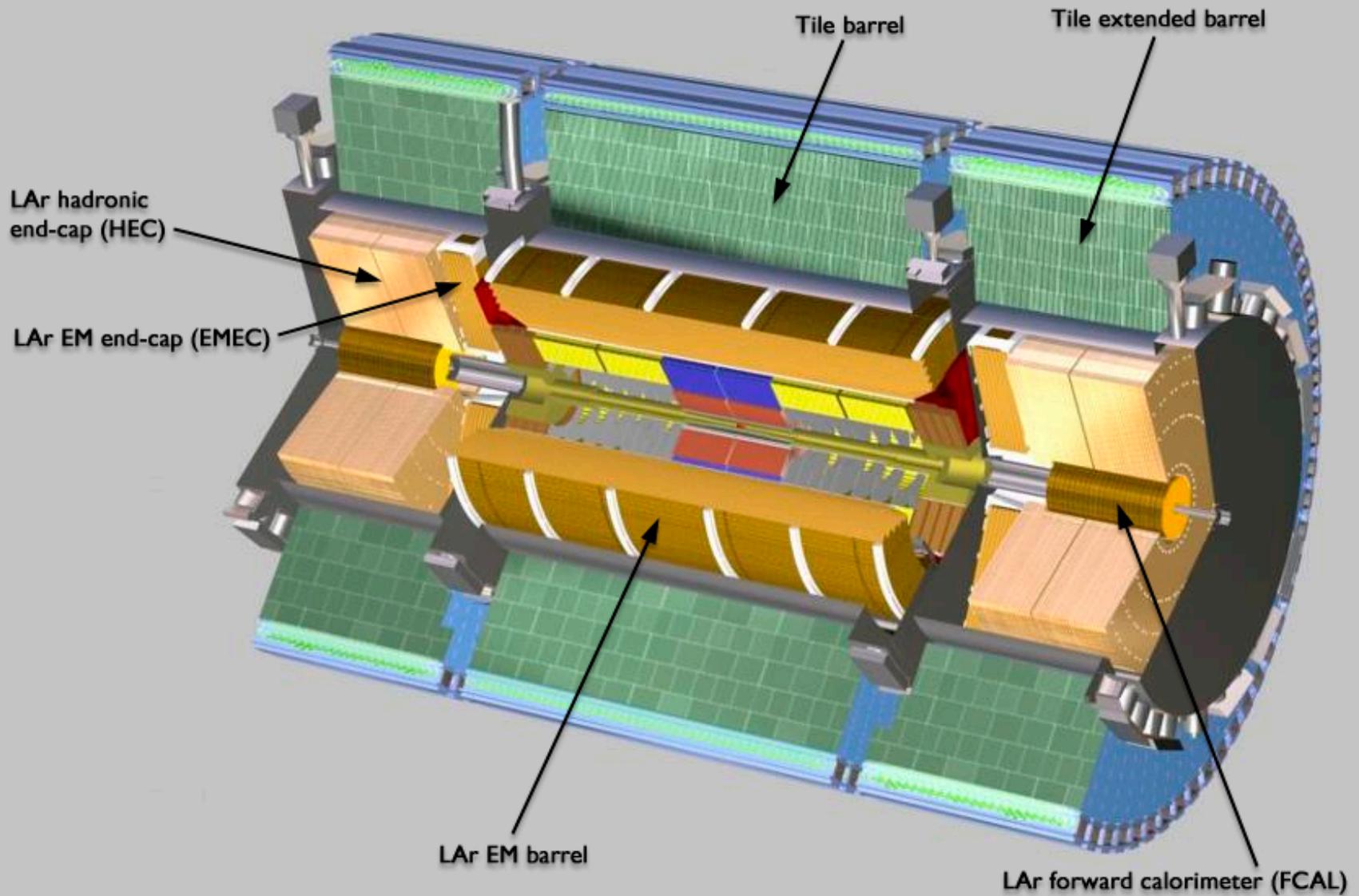
ATLAS Detector Under construction
October 2005

ATLAS Inner Detector

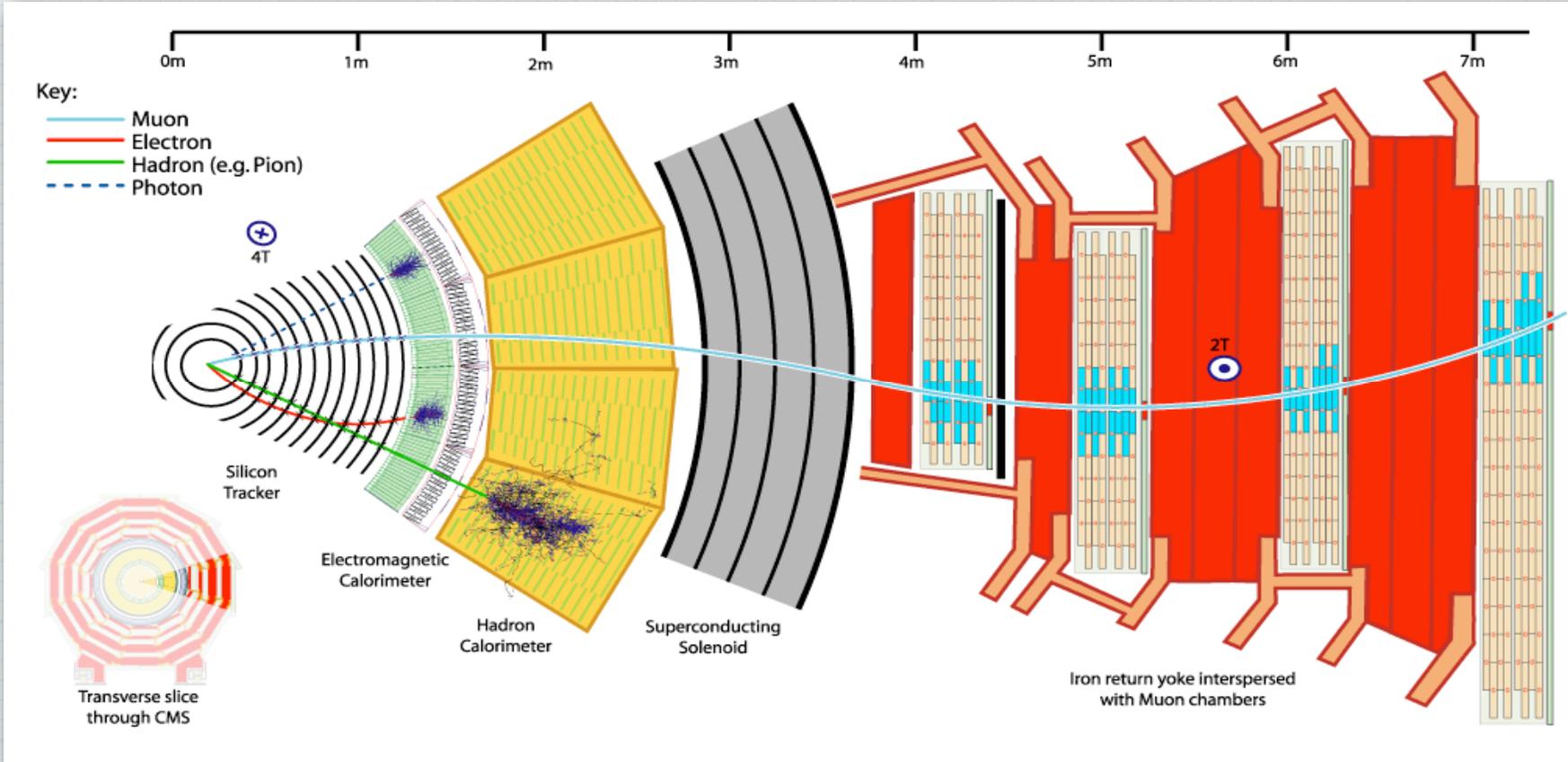
- silicon pixels surrounded by silicon strips:
- 2 Tesla solenoid immediately outside tracker



ATLAS Calorimetry

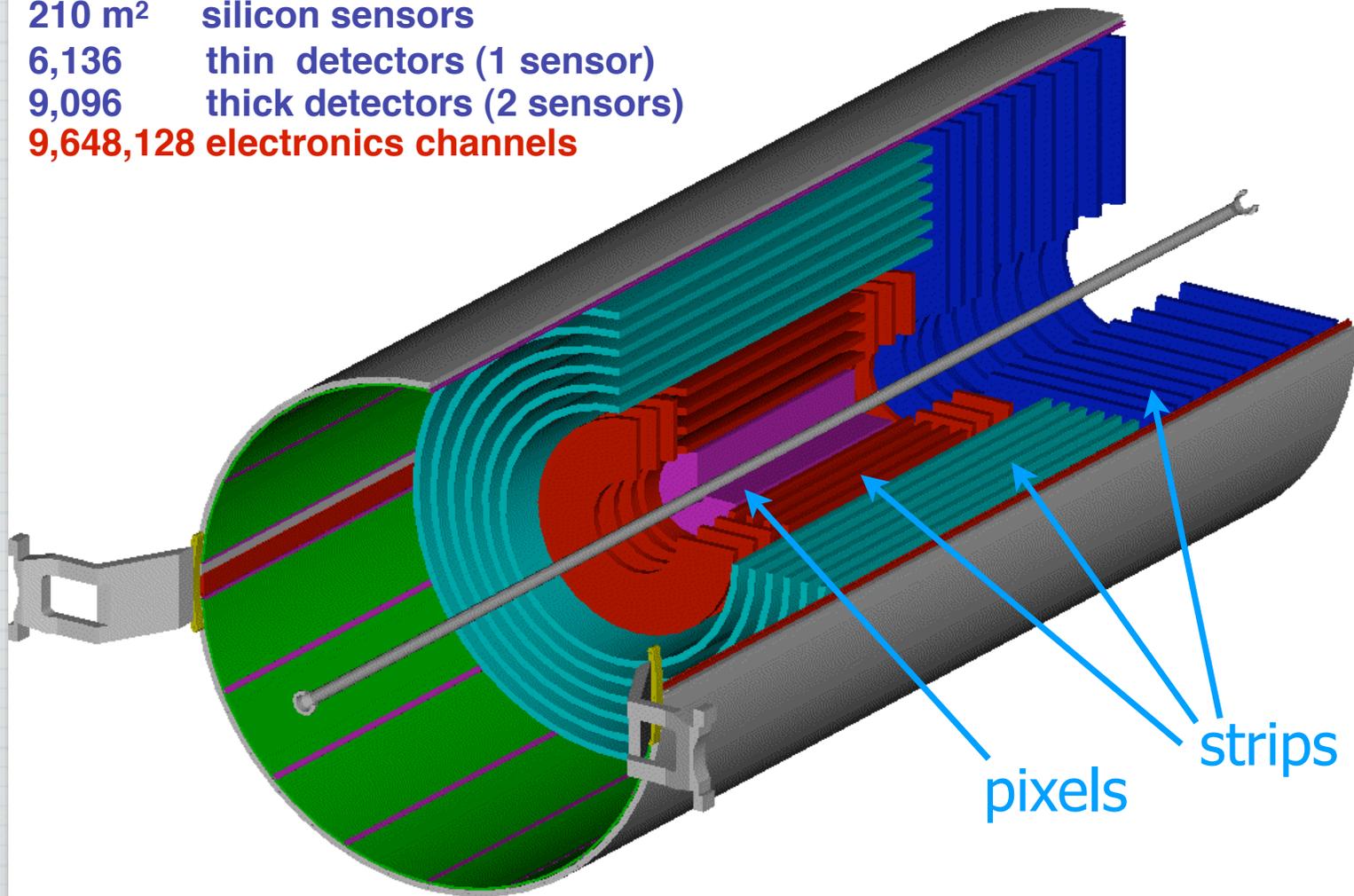


CMS slice

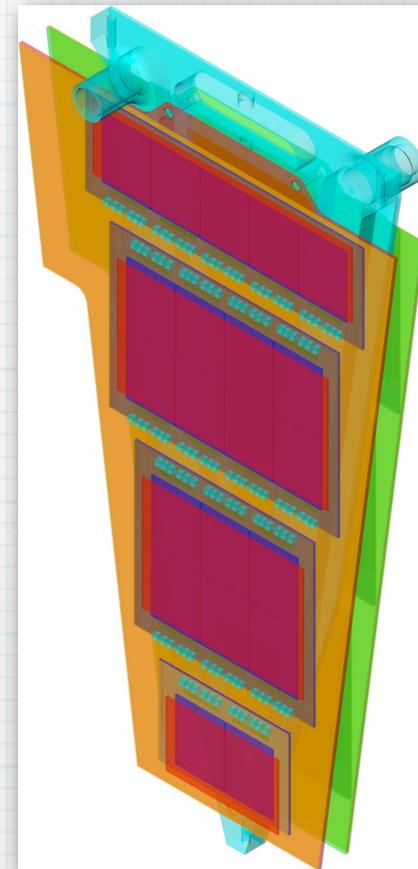
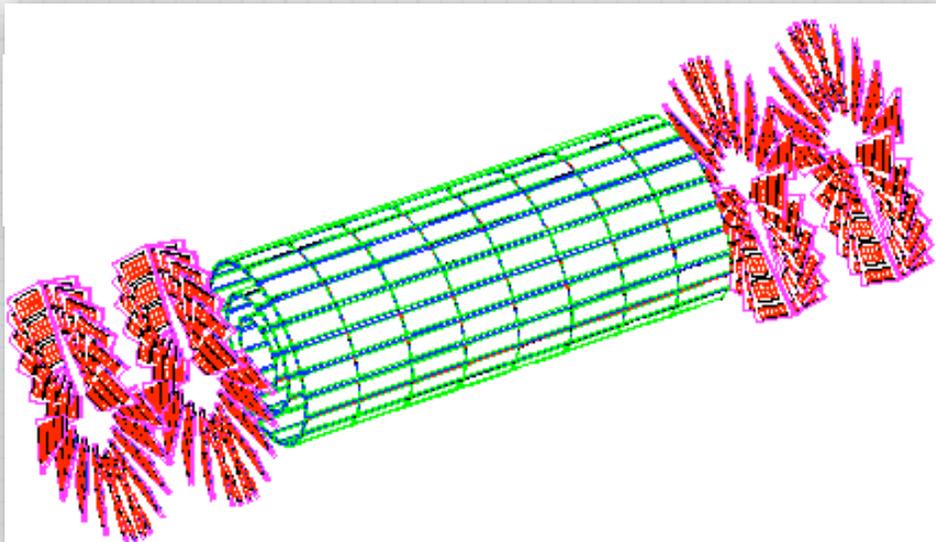
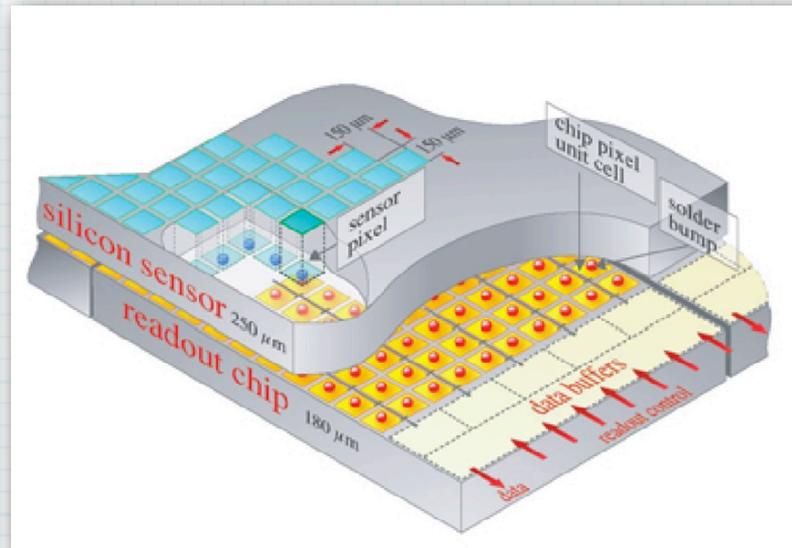


CMS Inner Detector

210 m² silicon sensors
6,136 thin detectors (1 sensor)
9,096 thick detectors (2 sensors)
9,648,128 electronics channels

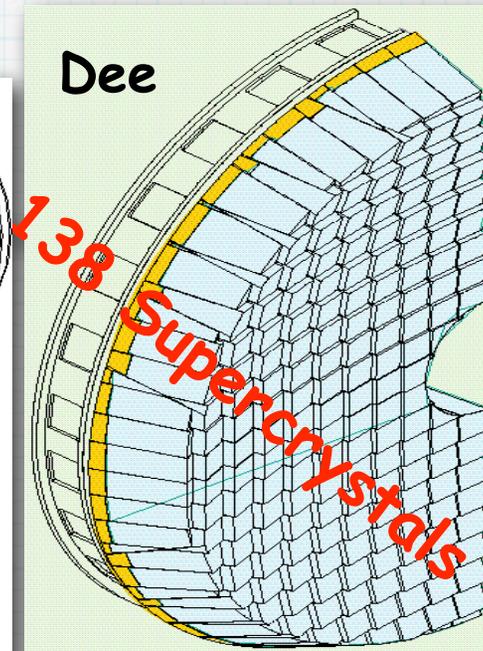
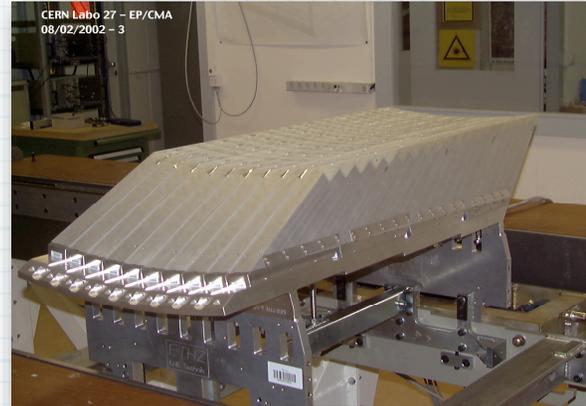


CMS Pixel Detector



CMS Electromagnetic Calorimeter

- lead tungstate crystals
- projective geometry
- avalanche photodiode readout

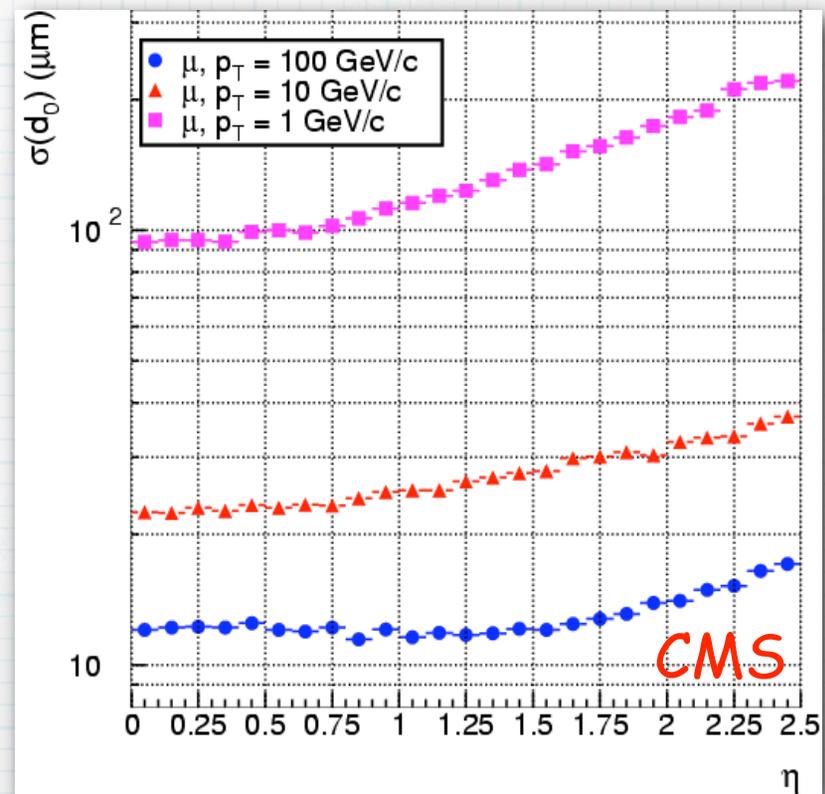
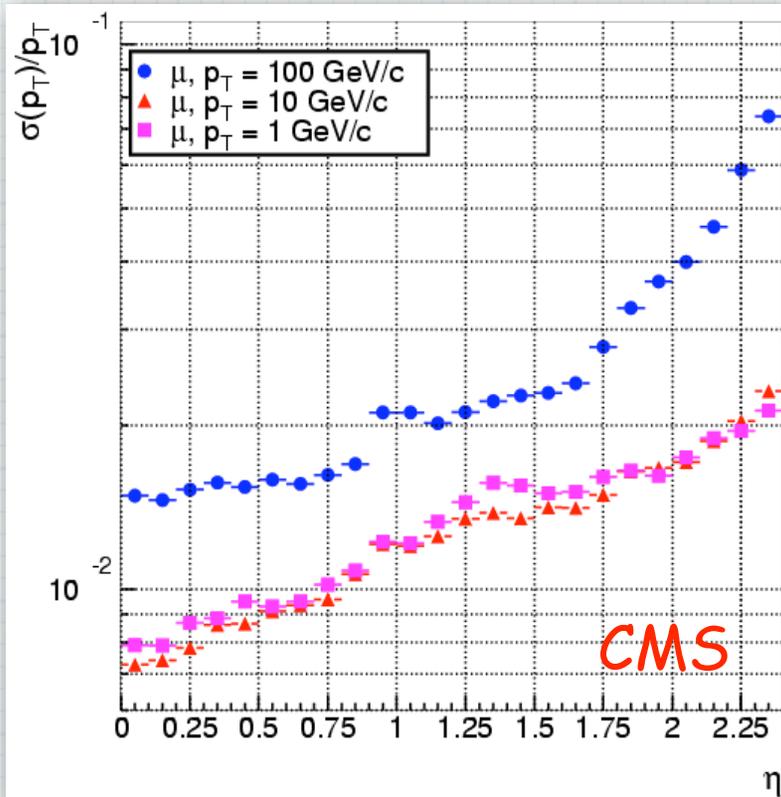


CMS Hadron Calorimeter



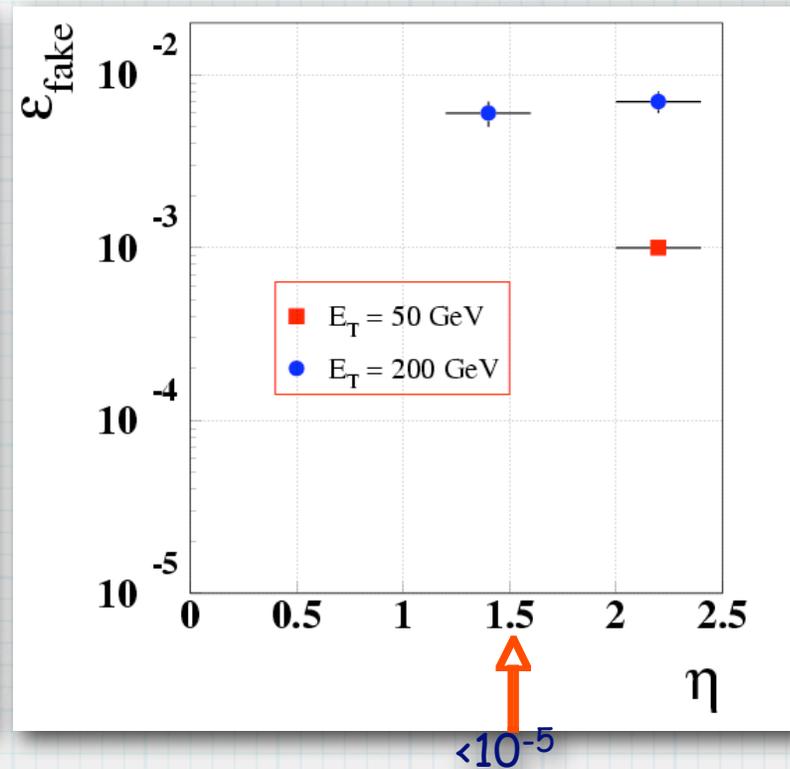
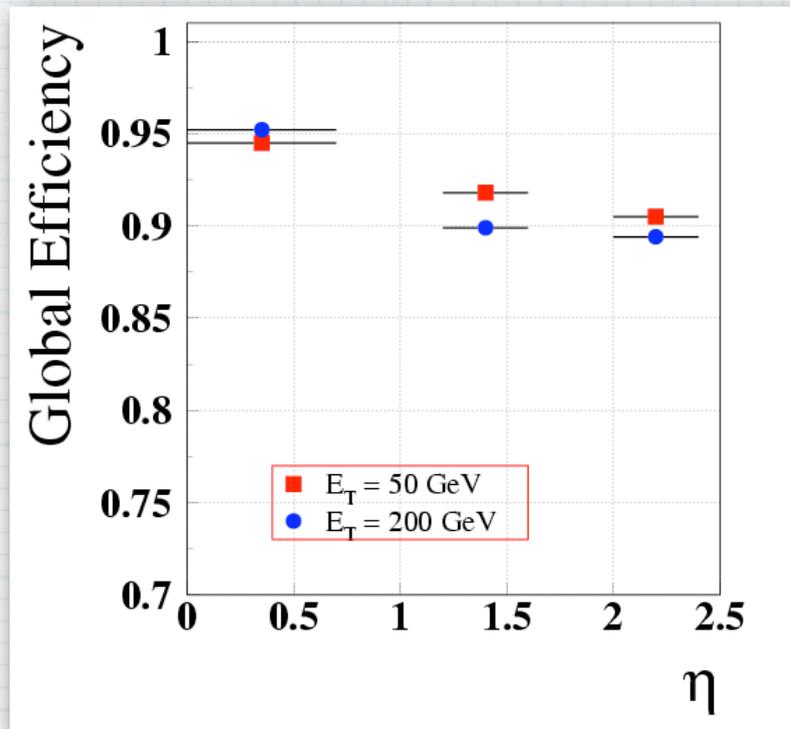
ATLAS/CMS Tracking

- this is for CMS, but ATLAS is very similar
- track resolution gets worse with pseudorapidity:



Tracking Efficiency/Fakes

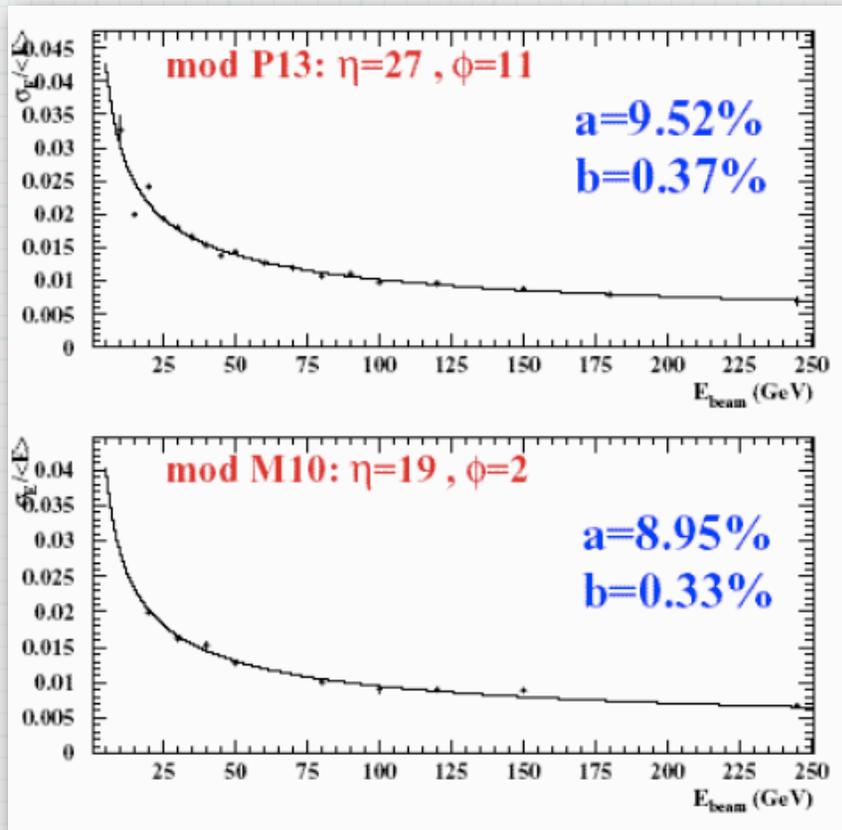
- here again for CMS:



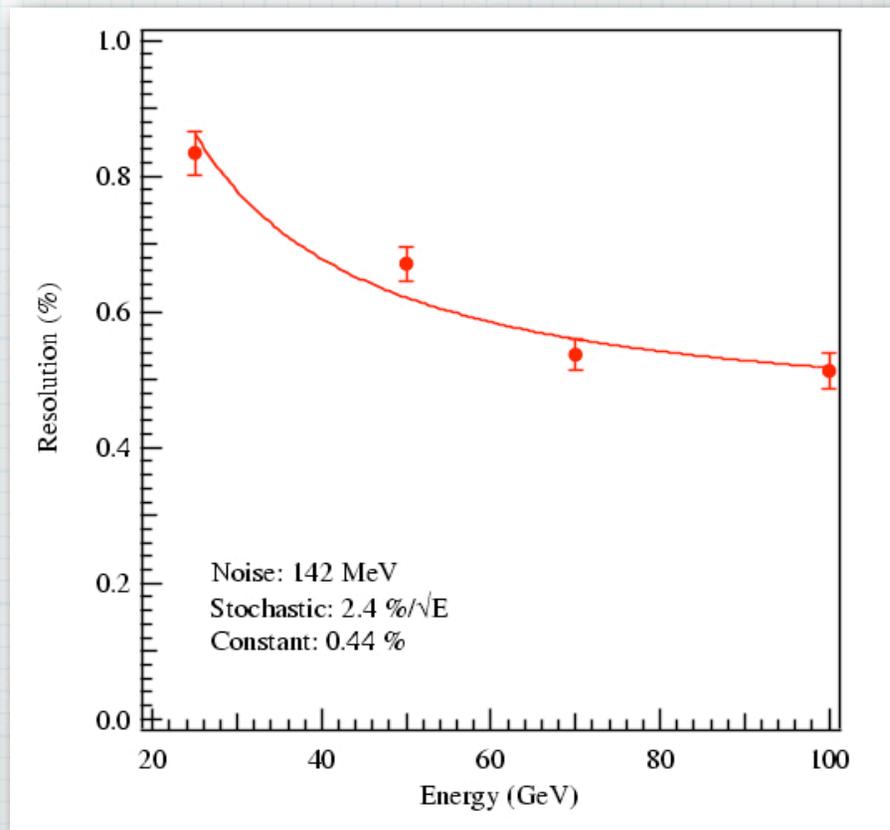
ET = 200 GeV Fake Rate $< 8 \cdot 10^{-3}$
ET = 50 GeV Fake Rate $< 10^{-3}$

ATLAS/CMS Calorimetry

ATLAS

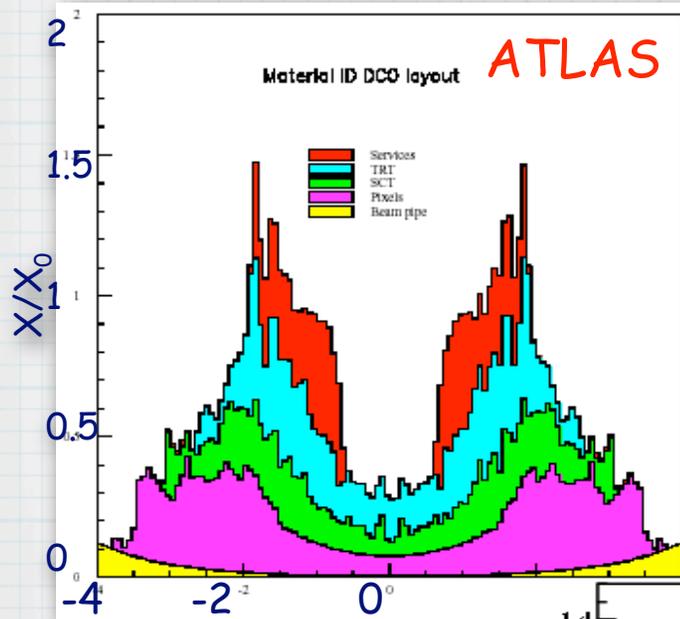


CMS

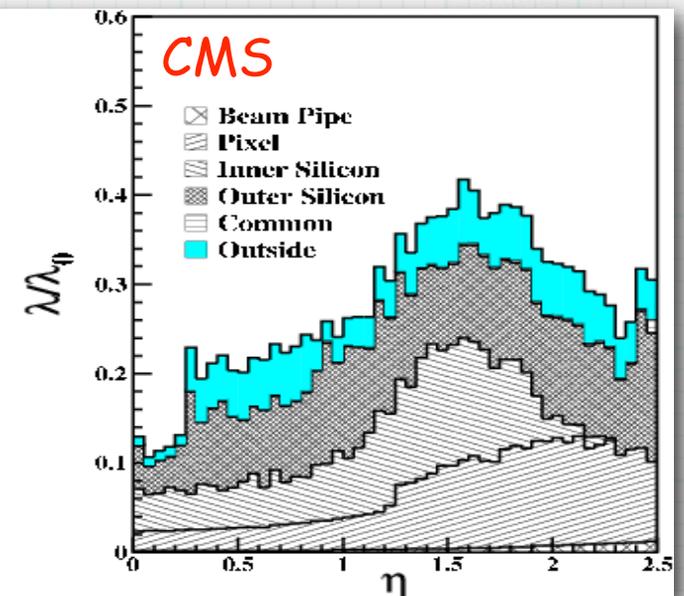
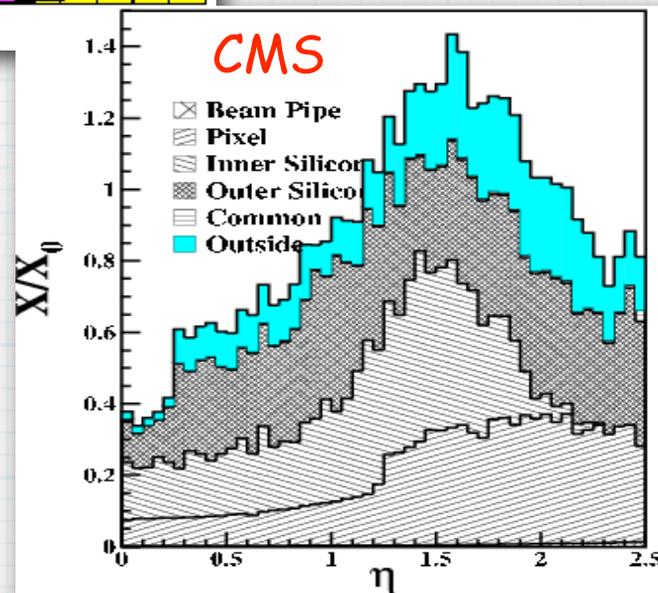


This is from test beams - does not tell the whole story!

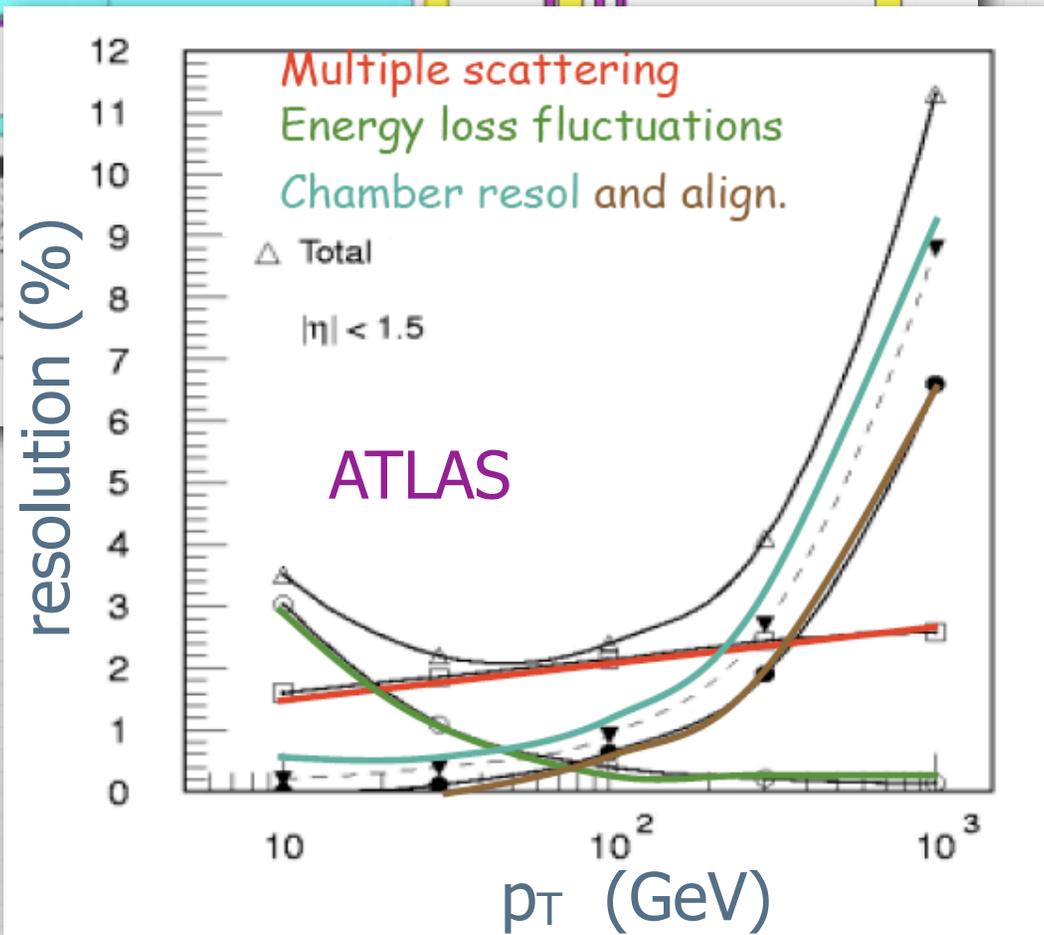
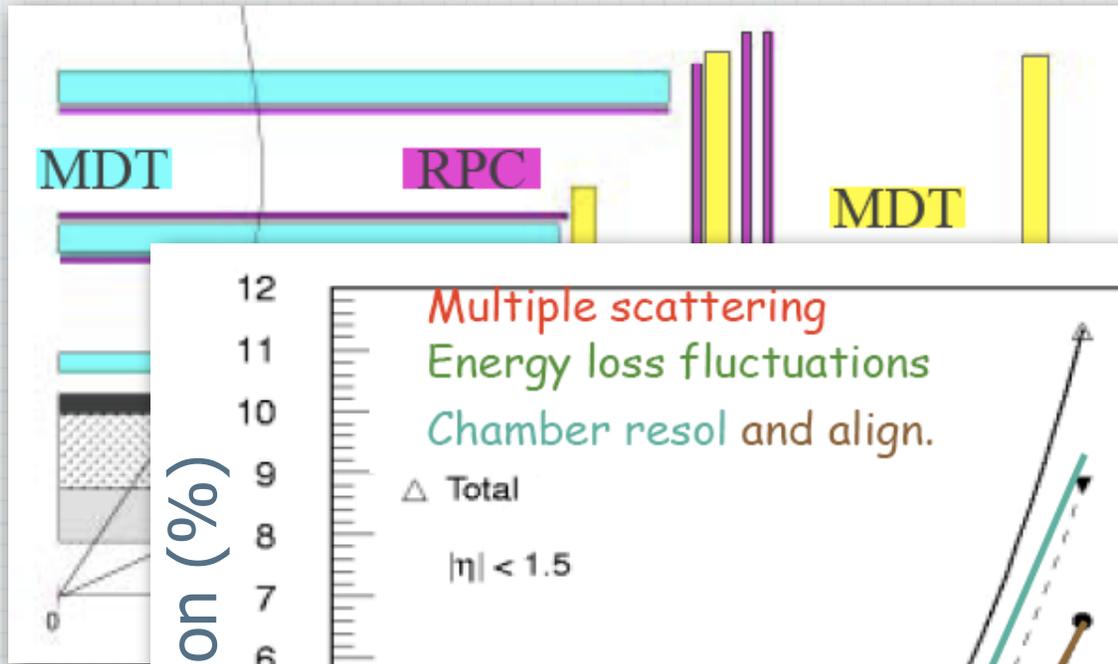
Material Budget



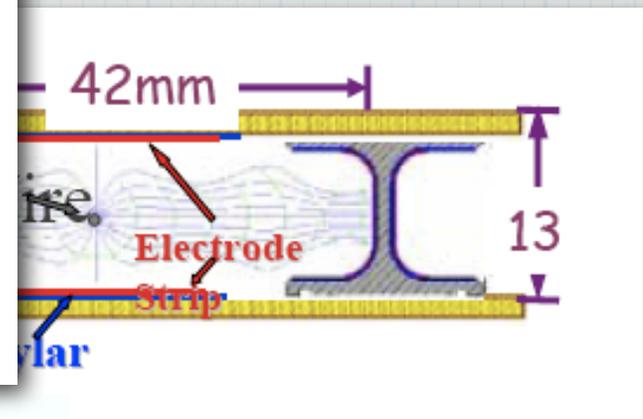
- degradation of calorimeter resolution due to bremsstrahlung and nuclear interactions
- high probability that photons convert in tracker



ATLAS/CMS Muons

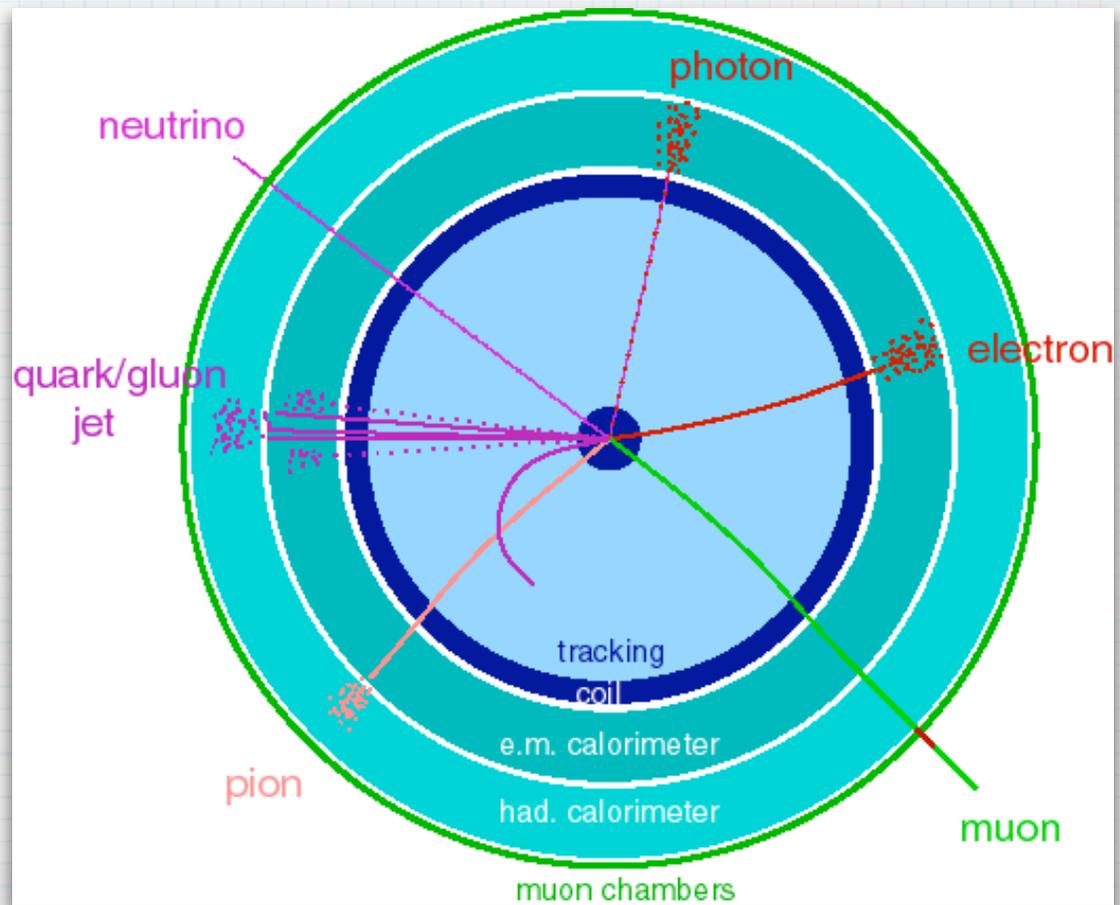


- Monitored Drift Tubes
- Resistive Plate Chambers
- Cathode Strip Chambers
- Thin Gap Chambers



Physics Object Reconstruction

- need to use all the information from tracking, calorimetry, muon systems to identify
 - photons/electrons
 - muons
 - taus!
 - jets
 - b-tags
 - missing p_T

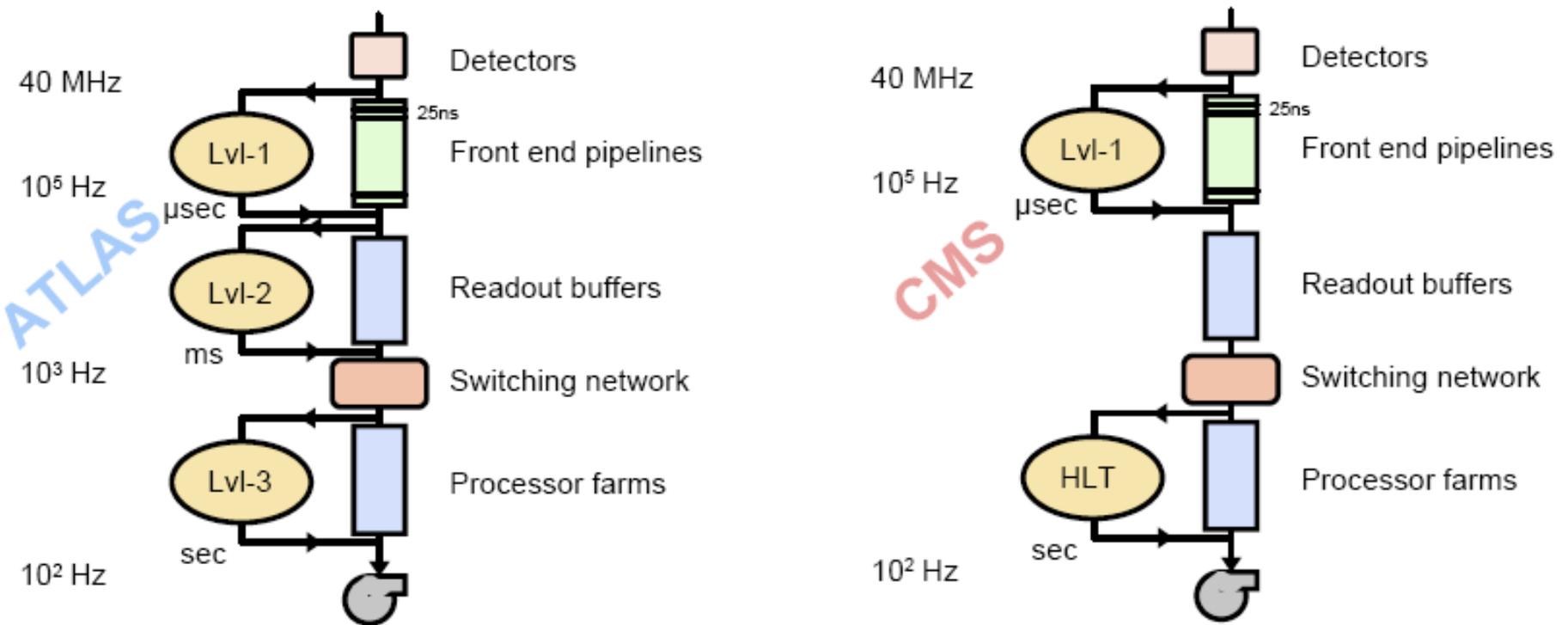


The Mystery of Triggering

- at the design rate, every beam crossing gives a collision (usually minimum bias)
- cannot read out detector on every event (1Mb/event)
- do not have bandwidth to store events
- cannot process every event later
- must have trigger to decide what to keep/reject
- trigger is very sophisticated and complicated!
- triggers are arranged in levels of increasing complexity, and decreasing rate

Trigger Rates

Multilevel trigger and readout systems



G. Rolandi - 3rd Workshop on Particle Physics - Islamabad, March 2004

CMS L1 Thresholds

- need energy thresholds to control rates!

	e	ee	τ	$\tau\tau$	j	jj	jjj	jjjj
Low \mathcal{L}	24	18	95	75	150	115	95	75
High \mathcal{L}	35	20	180	110	285	225	125	105
	τe	je	MET	e+MET	j+MET	e(NI)	ee(NI)	ΣET
Low \mathcal{L}	80,14	125,14	275	12,175	65,175	NA*	NA*	1000
High \mathcal{L}	125,20	165,20	350	18,250	95,250	58	28	1500
	μ	$\mu\mu$	μe	$\mu\tau$	μj	$\mu+ET$	$\mu+MET$	Rate:
Low \mathcal{L}	10	3	4,12	4,80	4,80	4,600	4,140	25 kHz
High \mathcal{L}	25	8,5	5,32	5,140	5,155	5,800	5,200	25 kHz

ATLAS L1 Thresholds

Selection	High- p_T Thresholds	$2 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$	$10^{34} \text{ cm}^{-2} \text{ s}^{-1}$
MU20	(20)	0.8	4.0
2MU6		0.2	1.0
EM25I	(30)	12.0	22.0
2EM15I	(20)	4.0	5.0
J200	(290)	0.2	0.2
3J90	(130)	0.2	0.2
4J65	(90)	0.2	0.2
J60 + xE60	(100+100)	0.4	0.5
TAU25 + xE30	(60+60)	2.0	1.0
MU10 + EM15I		0.1	0.4
Others (pre-scales, calibration, ?)		5.0	5.0
Total		~ 25	~ 40

Analyzing the Data

- calibration/alignment studies
- offline corrections
 - cal clusters → jets, electrons, etc.
 - tracker hit clusters → track segments → tracks
 - high level objects: e/γ , μ , τ , jets, ...
- perform primary reconstruction
- split into data streams
- distribute to computing centers for selection
- lather, rinse, and repeat...